# Problem Solving and Programming CSE1001 

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## Sorting

## PROBLEM

Results of VIT entrance exam has been released. Given the details of the students such as name, address and marks scored in entrance, write a program to sort the student details so that it will be convenient to call for counselling.

- Sorting:
- It rearranges the elements into either ascending order or descending order.
- Ascending Order ??
- Descending Order ??
- Example:
- we have elements like $\mathbf{3 6}, \mathbf{2 4}, \mathbf{1 0}, 6$ and 12
- The elements after sorting (ascending order) is 6, 10, 12, 24 and 36


## Sorting

- There are several sorting algorithms available like bubble sort, selection sort, insertion sort, quick sort, merge sort, radix sort etc.
- Sorting operation is performed in many applications to provide the output in desired order.
- For example listing all the product in the increasing order of their names or decreasing order of supplier names.
- Searching will be easier in a sorted collection of elements
- List containing exam scores sorted from lowest to highest or vice versa.
- We will learn Bubble sorting, Selection Sorting and Insertion Sorting in this session.
- It is a popular and simple algorithm for sorting data.
- This algorithm is not so efficient.
- Iverson was the first to use name "bubble sort" in 1962, even though used earlier.
- Unfortunately it is commonly used where the number of elements is too large.
- Procedure:
- Starts at one end of the list and make repeated scans through the list comparing successive pairs of elements.
- If the first element is larger than the second, called an "inversion", then the values are swapped.
- Each scan will push the maximum element to the top.
- This is the "bubbling" effect $\rightarrow$ name $\rightarrow$ bubble sort.
- This process is continued until the list is sorted.
- More swaps $\rightarrow$ More time for sorting.

\section*{| 98 | 23 | 45 | 14 | 6 | 67 | 33 | 42 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | 123}

## $\square$ <br>  <br> 123 <br> 4 <br> 5 <br> 6 <br> 7

## Swap $\downarrow \downarrow$ <br> | 98 | 23 | 45 | 14 | 6 | 67 | 33 | 42 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | 123



\section*{$\square$ <br> | 23 | 98 | 45 | 14 | 6 | 67 | 33 | 42 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | <br> }







## $\square$  123

## Swap竍



## Swap

| $\mathbf{2 3}$ | $\mathbf{4 5}$ | $\mathbf{1 4}$ | $\mathbf{6}$ | $\mathbf{9 8}$ | $\mathbf{6 7}$ | $\mathbf{3 3}$ | $\mathbf{4 2}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |



## Swap <br> 



\section*{Swap $\downarrow$ 】 | 23 | 45 | 14 | 6 | 67 | 98 | 33 | 42 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | 123 <br> 45 67}


\section*{$\square$ | 23 | 45 | 14 | 6 | 67 | 98 | 33 | 42 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | 123 <br> 4 <br> 5 <br> 6 <br> 7}

## Swap <br> $\downarrow \downarrow$



## Swap <br> 

\section*{| 23 | 45 | 14 | 6 | 67 | 33 | 98 | 42 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |}

123
3
4
6
7
 www,yit.ac.in


## Swap $\downarrow$ 保

 \begin{tabular}{|c|c|c|c|c|c|c|c|}\hline $\mathbf{2 3}$ \& $\mathbf{4 5}$ \& $\mathbf{1 4}$ \& $\mathbf{6}$ \& $\mathbf{6 7}$ \& $\mathbf{3 3}$ \& $\mathbf{4 2}$ \& $\mathbf{9 8}$ <br>
\hline 1 \& 2 \& 3 \& 4 \& 5 \& 6 \& 7 \& 8
\end{tabular}

\section*{ <br> | 23 | 45 | 14 | 6 | 67 | 33 | 42 | 98 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | <br> }




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| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | 123}

## Swap







\section*{$\sqcap$ | 23 | 14 | 6 | 45 | 67 | 33 | 42 | 98 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | 12}




## Swap <br> 

\section*{| 23 | 14 | 6 | 45 | 67 | 33 | 42 | 98 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | <br> 12 <br> 3 <br> 4 <br> 5 <br> 6 7}

## Swap <br> 





\section*{Swap} | 23 | 14 | 6 | 45 | 33 | 67 | 42 | 98 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | $\begin{array}{llllllll}1 & 2 & 3 & 4 & 5 & 6 & 7 & 8\end{array}$



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| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | $\begin{array}{llllllll}1 & 2 & 3 & 4 & 5 & 6 & 7 & 8\end{array}$}







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\section*{ <br> | 14 | 6 | 23 | 45 | 33 | 42 | 67 | 98 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | 12 <br> 3 <br> 4 <br> 5 <br> 6 <br> 7 <br> 8}












## No Swap

| 6 | 14 | 23 | 33 | 42 | 45 | 67 | 98 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |



3
4 5 6

7

## No Swap <br> 








## No Swap

 $\downarrow$| 6 | $\mathbf{1 4}$ | $\mathbf{2 3}$ | $\mathbf{3 3}$ | $\mathbf{4 2}$ | $\mathbf{4 5}$ | $\mathbf{6 7}$ | $\mathbf{9 8}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |



\section*{| 6 | 14 | 23 | 33 | 42 | 45 | 67 | 98 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | 12}

## Bubble Sort Algorithm

- Algorithm for Bubble Sort:

| Algorithm | BubbleSort $(\mathrm{A}, \mathrm{n})$ |
| :--- | :--- |
| 1: | $\{$ |
| 2: | for $i \leftarrow 0$ to $n-2$ do |
| 3: | for $j \leftarrow 0$ to $n-2-i$ do |
| 4: | if $(A[j+1]<A[j])$ then |
| 5: | $\{$ |
| 6: | temp $\leftarrow A[j]$ |
| 7: | $A[j] \leftarrow A[j+1]$ |
| 8: | $A[j+1] \leftarrow$ temp |
| 9: | $\}$ |
| 10: | end if |
| 11: | end for |
| 12: end for |  |
| 13: $\}$ |  |

## Python Code for Bubble sort

## PYTHON CODE

```
n = int(input("Enter
k = []
for p in range (0,n):
    k.append(int(input("Enter雔element::")))
for p in range(0,n-1):
    for l in range(0,n-1-p):
        if (k[l] > k[l+1]):
                        temp = k[l]
            k[I]=k[I+1]
                        k[I+1]=temp
```

for $p$ in range ( $0, n$ ):
print (k[p])

- Selection sort is among the simplest of sorting techniques.
- This Selection Sort works well for small data.
- Section sort is a good choice for sorting files with very large objects (records) and small keys.
- We can also first find the largest in the list and swap with the last position of the list.
- Then Second largest element and exchange it with the element in the second largest position. $\rightarrow$ Repeat this Process.


## Selection Sort

- Algorithm for Selection Sort

```
Algorithm Selection(A,n)
    1: \{
    2: for \(i \leftarrow 0\) to \(n-2\) do
    3: \(\quad \min \leftarrow i\);
    4: \(\quad\) for \(j \leftarrow i+1\) to \(n-1\) do
    5: if \((A[j]<A[m i n])\) then
                \(\min \leftarrow j ;\)
                end if
        end for
    9: end for
10: swap \(A[i]\) and \(A[m i n]\);
11: \}
```


## Selection Sort

- Divides the array into two parts: already sorted, and not yet sorted.
- On each pass, finds the smallest of the unsorted elements, and swaps it into its correct place, thereby increasing the number of sorted elements by one.

| values $[0]$ | 36 |
| ---: | ---: |
| $[1]$ | 24 |
| $[2]$ | 10 |
| $[3]$ | 6 |
| $[4]$ | 12 |

## Selection Sort

## Selection Sort python function

```
def selectionSort(lyst):
    i = 0
    while i < len(lyst) - 1: # Do n - 1 searches
        minIndex = i # for the smallest
        j = i + 1
        while j < len(lyst): # Start a search
            if lyst[j] < lyst[minIndex]:
                minIndex = j
                j += 1
        if minIndex != i: # Exchange if needed
                swap(lyst, minIndex, i)
        i += 1
```

Selection Sort: Pass One


## Selection Sort

Selection Sort: End Pass One


## Selection Sort

Selection Sort: Pass Two


## Selection Sort

## Selection Sort: End Pass Two

| values [0] | 6 |
| :---: | :---: |
| [1] | 10 |
| [2] | 24 |
| [3] | 36 |
| [4] | 12 |



## Selection Sort

Selection Sort: Pass Three


## Selection Sort

Selection Sort: End pass Three


## Selection Sort

Selection Sort: Pass Four


## Selection Sort

## Selection Sort: End Pass Four

| values $[0]$ | 6 |
| ---: | ---: |
|  | $[1]$ |
|  | 10 |
|  | 12 |
|  | $12]$ |
|  | 24 |
|  |  |



## Selection Sort

## Selection Sort: How many comparisons?

| values [0] | 6 | 4 comparisons for values[0] |
| :---: | :---: | :---: |
| [1] | 10 | 3 comparisons for values[1] |
| [2] | 12 | 2 comparisons for values[2] |
| [3] | 24 | 1 comparison for values[3] |
| [4] | 36 | $=4+3+2+1$ |

## A sample Python code for Selection Sort

```
def minIndex(i,l):
    minI = i
    for j in range(i+1,len(1)):
        if l[minI]>l[j]:
            minI = j
        return minI
def selection(1):
    n = len(l)
    for i in range (0,n):
        j = minIndex(i,l)
        if i!=j:
            l[i],1[j] = l[j],l[i]
    return l
        n = int(input())
        l = []
        for i in range(0,n):
            e = int(input())
            1. append (e)
        1 = selection(1)
        print(1)
```


## Insertion Sort in Real Life

- Have you ever seen a teacher alphabetizing a couple dozen papers?
- She takes a paper from an unsorted collection and place into a sorted collection in order
- While playing cards, to sort the cards in the hand
- We extract a card, shift the remaining cards and insert the extracted card in correct place


## Insertion Sort

- Insert, one by one, each unsorted array element into its proper place.
- On each pass, this causes the number of already sorted elements to increase by one.

| values $[0]$ | 36 |
| ---: | ---: |
| $[1]$ | 24 |
| $[2]$ | 10 |
| $[3]$ | 6 |
| $[4]$ | 12 |
|  |  |

## Insertion Sort Python function

```
def insertionSort(lyst):
    i = 1
    while i < len(lyst):
        itemToInsert = lyst[i]
        j = i - 1
        while j >= 0:
            if itemToInsert < lyst[j]:
            lyst[j + 1] = lyst[j]
            j -= 1
        else:
            break
        lyst[j + 1] = itemToInsert
        i += 1
```


## Insertion Sort

- Works like someone who "inserts" one more card at a time into a hand of cards that are already sorted.
- To insert 12, we need to make room for it by moving first 36 and then 24.



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## A sample Python code for Insertion Sort

```
def insertion_sort(items):
    """ Implementation of insertion sort """
    for i in range(1, len(items)):
        j = i
        while j > 0 and items[j] > items[j-1]:
            items[j], items[j-1] = items[j-1], items[j]
            j -= 1
```


## Exercise 1

- Given a sorted list with an unsorted number V in the rightmost cell, can you write some simple code to insert V into the array so that it remains sorted? Print the array every time a value is shifted in the array until the array is fully sorted.
- Guideline: You can copy the value of V to a variable and consider its cell "empty". Since this leaves an extra cell empty on the right, you can shift everything over until V can be inserted.


## ExERCISE 2

- Using the same approach as exercise 1 , sort an entire unsorted array?
- Guideline: You already can place an element into a sorted array. How can you use that code to build up a sorted array, one element at a time? Note that in the first step, when you consider an element with just the first element - that is already "sorted" since there's nothing to its left that is smaller.
- In this challenge, don't print every time you move an element. Instead, print the array after each iteration of the insertion-sort, i.e., whenever the next element is placed at its correct position.
- Since the array composed of just the first element is already "sorted", begin printing from the second element and on.


